

2/20/03

Dealing With Motion Data $\equiv$

SENSOR (RAW DATA)



CLEANUP $\equiv$ GAP FILLING, NOISE REDUCTION
↑ GET WHAT REALLY HAPPENED

Clean Data



SKELETAL CONVERSION

Skeletal DATA

↑ GET RIGHT FORM



MOTION EDITING

USEFUL DATA

↑ GET WHAT YOU WANTED

MOTION CAPTURE PIPELINE

① CLEANUP

Deal with sensor IMPERFECTIONS

GENERALLY A SEPERATE PROCESS

Could do on skeletons

Noise $\leftarrow$ unwanted signal

① randomness

② randomness drowns out signal

③ drop out

2 is worse than 3

ALL DATA HAS NOISE!

SENSOR ERRORS

MARKER ERRORS (SLIDING AROUND)

Computing ERRORS

Imprecision / Inaccuracy

2/20/03 (2)

ISSUES WITH NOISE

- CAN'T IDENTIFY IT (unless drop off)
- CAN'T REALLY KNOW SIGNAL
 - unless you know what the signal is
 - or you can characterize it

GAPS

- SMALL - FILL IN w/ INTERPOLATION
- MEDIUM - Neighboring MARKERS
- LARGE - ARTISTIC - MAKE UP DATA

Filling Gaps with Skeleton
Chicken and egg problem
Marker redundancy
tradeoffs

Noise Reduction

In Marker DATA ← issues of filtering rotations
What is noise? ← "blindness" of pure signal

Noise vs. High Frequencies] intuitions of
No! ← frequency in motion

What does LPF really do

Smart LPF ← speed adaptive

③

A word on Kalman Filters

don't know future - so predict

1 2 3

↓
need next frame

$$\hat{x}(t+1) = x(t) + \Delta t \dot{x}(t)$$

$$\hat{x}(t+1) = ? \quad \leftarrow \text{state space}$$

Linear Predictor

what happens when you get "real" answer

$$x(t+1) \neq \hat{x}(t+1)$$

which do you trust?

- model is imperfect
- sensor is imperfect

Kalman Filter $\equiv$ linear predictor $x(t+1) = Mx(t)$
linear observation model
gaussian noise model

simple

provably optimal $\Leftarrow$ not necessarily good, just
the best you can do with a limited
information

4

Blindness of pure-signal approaches

- do changes have any "real meaning"
- really need more info

Heuristics

- Visual Artifacts
- What kinds of change can you see

Heuristic ①

HF are noticeable - perception

important - crispness

∞ don't want to distort HF

can't add or subtract

make LF changes

In practice $\equiv$ Motion Displacement Maps

Add LF